





### If two triangles have the same base and height, their areas are equal.





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True. The area of a triangle is calculated as  $\frac{1}{2} \times$  base  $\times$  height. Equal base and height guarantee equal areas, regardless of the triangle's orientation or type.







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True. Heron's formula (√[s(s-a)(s-b)(s-c)]) works for any valid triangle where the sides satisfy the triangle inequality. The formula does not depend on angles or type of triangle.







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### True. For right-angled triangles, area = $\frac{1}{2} \times \log_1 \times \log_2 = \frac{1}{2} \times 5 \times 12 = 30$ .













The area of a triangle with vertices at (0,0), (3,0), and (0,4) is 6.

## True. This is a right-angled triangle with base 3 and height 4. Area = $\frac{1}{2} \times 3 \times 4 = 6$ .







# A triangle with sides 7, 24, 25 has an area of 84.





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## True. This is a right-angled triangle $(7^2 + 24^2 = 25^2)$ . Area = $\frac{1}{2} \times 7 \times 24 = 84$ .







## The maximum area of a triangle with two sides 8 and 9 is 36.





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## True. Maximum area occurs when the included angle is 90°. Area = $\frac{1}{2} \times 8 \times 9 = 36$ .







A triangle with base 10 and height 5 has the same area as a triangle with base 5 and height 10.





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## True. Both areas equal 25 ( $\frac{1}{2} \times 10 \times 5 = 25$ and $\frac{1}{2} \times 5 \times 10 = 25$ ).







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True. This is the standard trigonometric formula for area when two sides and the included angle are known.







# The area of an equilateral triangle with side length 'a' is $(\sqrt{3}/4)a^2$ .





The area of an equilateral triangle with side length 'a' is  $(\sqrt{3}/4)a^2$ .

## True. Derived from the general formula for area using height ( $\sqrt{3}/2$ a), substituting into $\frac{1}{2} \times base \times height$ .







#### If all sides of a triangle are doubled, its area becomes four times larger.





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True. Scaling linear dimensions by a factor k scales area by  $k^2$ . Here, k = 2, so area scales by 4.







## The area of a triangle is base times height.





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#### False. The correct formula is $\frac{1}{2} \times \text{base} \times \text{height}$ . Omitting the $\frac{1}{2}$ is a common error.













Heron's formula can calculate the area of a triangle with sides 2, 3, and 6.

## False. These sides violate the triangle inequality (2 + $3 \le 6$ ), so they do not form a valid triangle.













In a triangle, the product of the base and hypotenuse gives the area.

#### False. Hypotenuse is specific to right-angled triangles, but height (not hypotenuse) is required. Area = $\frac{1}{2} \times base \times height$ .













The area of a triangle with vertices (1,2), (4,5), and (6,7) is 3.

False. The determinant method yields zero area because the points are collinear.







# A triangle with sides 5 and 7 and included angle 30° has an area of 17.5.





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### False. Correct area = $\frac{1}{2} \times 5 \times 7 \times \sin(30^\circ) = \frac{1}{2} \times 35 \times 0.5 = 8.75$ .







## If two triangles have the same perimeter, their areas are equal.





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#### False. Perimeter equality does not guarantee area equality. Different side configurations can yield different areas.













The area of a triangle equals its inradius multiplied by its perimeter.

## False. Area = inradius × semi-perimeter, not full perimeter.







### The height of a triangle must always be shorter than its hypotenuse.





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False. 'Hypotenuse' applies only to right-angled triangles. In other triangles, height can exceed side lengths depending on the base chosen.







#### The formula <sup>1</sup>/<sub>2</sub> × base × hypotenuse calculates the area of a right-angled triangle.





The formula  $\frac{1}{2} \times base \times hypotenuse$  calculates the area of a rightangled triangle.

False. For right-angled triangles, area =  $\frac{1}{2} \times \log_1 \times \log_2$ . The hypotenuse is not used as a height unless specified otherwise.







## Tripling all sides of a triangle makes its area six times larger.





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## False. Area scales with the square of the linear scaling factor. Tripling sides increases area by 9 times, not 6.